# Supplementary Material: Dual Contrastive Learning with Anatomical Auxiliary Supervision for Few-shot Medical Image Segmentation

Huisi Wu<sup>(⊠)</sup>, Fangyan Xiao, and Chongxin Liang

College of Computer Science and Software Engineering, Shenzhen University hswu@szu.edu.cn, {2070276124, 2060271074}@email.szu.edu.cn

## 1 Non-target Slices as Motivation

For the *non-target slice set* defined in the paper, the images are derived from those slices in CT or MRI scans whose ground truths are all black. As shown in Fig. 1, these non-target slices contain rich anatomical knowledge, which can be utilized as background information to help the contrastive learning and guide the segmentation of the query image in the few-shot tasks.



Fig. 1. (a) Illustrations of the non-target slices and target slices. (b) The motivation of utilizing non-target slices for contrastive learning

# 2 Detailed Process of the CIP Module

In order to show the operation process of the *constrained iterative prediction* (CIP) module more concretely, we further provide the corresponding algorithm, as shown in Algorithm 1.

# 3 More Experimental Results

## 3.1 More statistical results

Firstly, we show more numerical results to evaluate the impacts of different **balance parameters** for the contrastive losses in the total loss function (Equ.

Algorithm 1 Constrained Iterative Prediction

#### Input:

The query feature  $f^q$ , the support feature  $f^s$ , the support mask  $\mathbf{y}^s$ , the encoder features  $\{f_e^q\}$  and  $\{f_e^s\}$ 

#### **Output:**

The new est predicted query mask  $p^q_{new}$ 

- 1: Given the query feature  $f^q$  of the final layer in the decoder and other information  $(f^s, \mathbf{y}^s, \{f_e^q\}, \text{ and } \{f_e^s\})$ , obtain the optimized prediction mask  $p_{new}^q$
- 2: I = number of the total iteration, i = index of I
- 3: Employ the generic classifier  $(1 \times 1 \text{ convolution and } softmax)$  to generate the initial query prediction  $p_i^q, i = 0$
- 4: Initialize  $p_{new}^q = p_i^q, i = 0$
- 5: Initialize the *similarity consistency constraint* (SCC) as follows:
- Compute the similarity map  $S_m$  between  $\mathbf{y}^s$  and  $\mathbf{p}_i^q$ , i = 0; compute the similarity map  $S_f$  between  $\{f_e^q\}$  and  $\{f_e^s\}$ ; calculate the MSE loss between  $S_m$  and  $S_f$  to get initial loss  $\mathcal{L}^i_{MSE}, i=0$
- 6: Initialize  $\mathcal{L}_{MSE}^{\min} = \mathcal{L}_{MSE}^{i}, i = 0$ 7: for all i = 1, 2, ..., I do
- 8: Enter the *prediction head* (**PredHead**): Multiply the  $f^q$  and  $p^q_{n_{ew}}$  to get  $f^q_m$ ; Send  $f^s$ ,  $\mathbf{y}^s$  and  $f^q_m$  to prior embedding module to get  $\hat{f}^q_m$ ; The  $\hat{f}^q_m$  is applied to a series of convolutions and the generic classifier to obtain a new prediction mask  $p_i^q$

Enter the **SCC** module: 9:

> Compute the similarity map  $S_m$  between  $\mathbf{y}^s$  and  $\boldsymbol{p}_i^q$ ; compute the similarity map  $S_f$  between  $\{f_e^q\}$  and  $\{f_e^s\}$ ; calculate the MSE loss between  $S_m$  and  $S_f$  to get the current MSE loss  $\mathcal{L}^{i}_{MSE}$

- if  $\mathcal{L}_{MSE}^i < \mathcal{L}_{MSE}^{min}$  then 10:
- Update the newest predicted mask  $p_{new}^q = p_i^q$ 11:
- 12:Update  $\mathcal{L}_{MSE}^{min} = \mathcal{L}_{MSE}^{i}$
- 13:else
- Continue 14:
- 15:end if
- 16: end for
- 17: return  $p_{new}^q$

6), as shown in Table 1. In addition, the Table 2 also demonstrates the effect of different iteration numbers of CIP module on the final segmentation results. And computational cost and parameters of models with different iterations in CIP are also shown in Table. 2. Finally, To evaluate if our improvement is statistically significant, we additionally conducted a Wilcoxon rank-sum test to compare our method with some of our competitors. From the p-values shown in Tables 3, we can clearly see that our method has a statistically significant improvement in terms of the Dice metric at the 5% level (all p-values are less than 0.05).

**Table 1.** Ablation study results (in Dice score) on the CHAOS-T2 dataset for balance

 parameters of contrastive losses

$\lambda_{cpcl}$	$\lambda_{ppcl}$	$\lambda_{ccl}$	Liver(%)	$\mathrm{RK}(\%)$	LK(%)	$\operatorname{Spleen}(\%)$	Mean(%)
0.10	0.10	0.08	61.39	74.27	68.84	70.23	68.68
0.10	0.08	0.06	64.61	75.49	68.42	72.87	70.35
0.08	0.14	0.03	66.67	79.72	70.35	74.60	72.84
0.08	0.12	0.03	69.65	78.07	72.89	73.39	73.50
0.08	0.12	0.04	67.54	82.16	72.34	73.22	73.82
0.08	0.12	0.06	69.94	83.75	76.90	<b>74.86</b>	76.36

Table 2. Ablation study results (in Dice score, computation costs and parameter numbers) on the CHAOS-T2 dataset for different iteration numbers (denoted as I) of the CIP module

Ι	Liver(%)	RK(%)	LK(%)	$\operatorname{Spleen}(\%)$	Mean(%)	Flops(G)	$\operatorname{Params}(M)$
0	56.91	75.23	67.19	69.52	67.21	149.40	35.04
1	56.94	75.54	69.57	69.54	67.90	157.03	35.04
2	61.08	76.77	70.34	69.88	69.52	164.12	35.04
3	67.53	78.47	72.39	71.93	72.58	171.50	35.04
4	68.62	81.18	75.88	72.50	74.55	178.89	35.04
<b>5</b>	69.94	83.75	76.90	74.86	76.36	186.27	35.04
6	70.03	83.36	76.29	74.59	76.07	193.66	35.04
7	70.11	83.58	76.17	74.62	76.12	201.05	35.04
8	69.85	83.50	76.52	74.99	76.22	208.43	35.04
9	69.87	83.73	76.73	74.81	76.29	215.21	35.04

### 3.2 More visualized results

For the proposed CIP and DCL (including CCL and PCL) modules, more visualized ablation comparisons on the CHAOS-T2 dataset are shown in Fig. 2. Besides, we also present more visualized comparisons with classic and state-of-the-art methods (sSENet, SSL-ALPNet, and RP-Net), as shown in Fig. 3 and Fig. 4.

**Table 3.** Statistical significance analysis results (p-values on the Dice metric) on theCHAOS-T2 dataset for different methods. pv: p-value

Pairs	Liver(pv)	$\mathrm{RK}(\mathrm{pv})$	$\mathrm{LK}(\mathrm{pv})$	$\operatorname{Spleen}(\operatorname{pv})$	$\mathrm{Mean}(\mathrm{pv})$
PANet vs. Ours sSENet vs. Ours SSL-ALPNet vs. Ours RP-Net vs. Ours	$ \begin{vmatrix} 2.53 \times 10^{-7} \\ 1.82 \times 10^{-8} \\ 1.30 \times 10^{-4} \\ 2.19 \times 10^{-4} \end{vmatrix} $	$\begin{array}{c} 3.87 \times 10^{-8} \\ 2.88 \times 10^{-7} \\ 5.63 \times 10^{-4} \\ 9.04 \times 10^{-3} \end{array}$	$\begin{array}{c} 5.79 \times 10^{-8} \\ 3.87 \times 10^{-7} \\ 3.69 \times 10^{-4} \\ 8.17 \times 10^{-3} \end{array}$	$7.13 \times 10^{-7} \\ 8.25 \times 10^{-7} \\ 1.47 \times 10^{-5} \\ 9.98 \times 10^{-3} \\ \end{cases}$	$\begin{array}{c} 2.85\times10^{-8}\\ 2.74\times10^{-7}\\ 5.60\times10^{-4}\\ 1.01\times10^{-2} \end{array}$



Fig. 2. More visual feature maps of the CIP and DCL modules on the CHAOS-T2 dataset. The warmer colors represent the better discriminative features. DCL: CCL+PCL; PCL: CPCL+PPCL



Fig. 3. More visual comparisons with different methods on the CHAOS-T2 dataset



Fig. 4. More visual comparisons with different methods on the Synapse dataset