Appendix: One-Shot Medical Landmark Localization by Edge-Guided Transform and Noisy Landmark Refinement

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1 More Visualizations

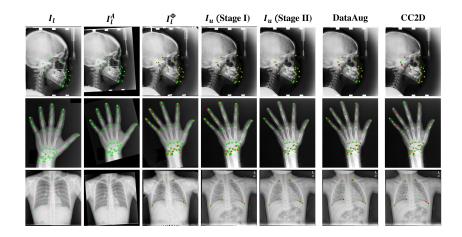


Fig. 1. Displayed images from left to right, are the exemplar (I_{src}) , intermediate warped results (I_l^A, I_{src}^{Φ}) and the unlabeled target image I_u . Green dots denote locations of the transformed exemplar landmarks. Red dots denote the ground truth landmark locations of I_u .

As in Fig. 1, we show more challenging cases with differences not only in spatial structure, but also in appearance. Pseudo landmarks inferred by edgeguided transform generally conform to the global anatomical constraints and their local biases can be further corrected in stage II. 2 Z Yin et al.

We further conduct experiments on the head dataset, using the same exemplar with CC2D [1] as in Tab. 1 and still achieve superior performance compared to their reported results.

2 Perspective Transformation

To adopt perspective transformation as the learned global alignment, we regress two more parameters (e_1, e_2) based on the last two elements of $o \in \mathbb{R}^8$ to make some perturbations based on the affine transformation A as follows:

$$o = \tanh(\mathrm{MLP}(H)) \tag{1}$$

$$e_1 = o_7 * \epsilon, \ e_2 = o_8 * \epsilon \tag{2}$$

where ϵ controls the pertubation intensity and here we set ϵ as 0.1. The perspective transformation matrix $P \in \mathbb{R}^{3\times 3}$ is computed as follows:

$$\begin{pmatrix} A_{11} & A_{12} & A_{13} \\ A_{21} & A_{22} & A_{23} \\ e_1 & e_2 & 1 \end{pmatrix}$$

where A is estimated in the way mentioned in the main manuscripts. In Tab. 2, we conduct experiments on the hand dataset, which shows more complex variations in global structures than the head dataset, and observe a further improvement brought by perspective transformation.

Table 1. Results on the head datasetusing the same exemplar with CC2D.

	Head					
backbone	MRE↓	$\mathrm{SDR}\uparrow(\%)$				
	(mm)	$2 \mathrm{mm}$	$2.5 \mathrm{mm}$	$3 \mathrm{mm}$	$4 \mathrm{mm}$	
CC2D-SSL	4.67	40.42	47.68	55.54	68.38	
CC2D-TPL	2.72	49.81	58.73	68.18	81.01	
Ours-stage I	2.91	38.38	50.23	60.74	75.75	
Ours-stage II	2.22	54.15	66.11	75.73	88.19	

 Table 2. Comparison between learned affine and perspective transform on the hand dataset.

Global	Local	Hand			
Alignment	\mathbf{Step}	$MRE\downarrow$ $SDR\uparrow(\%)$			
Type	N_{Φ}	(mm)	$2\mathrm{mm}~4\mathrm{mm}~10\mathrm{mm}$		
affine (L)	2	2.13	$60.93\ 89.43\ 99.21$		
perspective (L)	2	2.10	$62.27\ 89.53\ 99.32$		

3 Benefits of More Local Steps

Although the registration model is trained with one global step and two subsequent steps of local deformations, the optimal value of N_{Φ} in the test phase tends to be larger as in Tab. 3 and varies across different datasets.

Head Chest Hand N_{Φ} MRE \downarrow $SDR\uparrow(\%)$ MRE↓ $SDR\uparrow(\%)$ MRE↓ $SDR\uparrow(\%)$ (mm) $2mm\ 2.5mm\ 3mm\ 4mm$ 2mm 4mm 10mm 3px6 px(mm)(px)9px1 2.8538.55 50.30 61.68 77.79 3.18 $39.43 \ 74.84 \ 97.33$ 12.528.00 $22.67 \ 44.67$ $\mathbf{2}$ 2.7042.7854.88 65.03 81.01 2.2458.68 88.39 98.8910.489.6731.33 54.67 3 2.75<u>64.23</u> <u>79.94</u> 2.1360.93 89.43 99.21 $10.25 \ 12.00$ 41.7154.59<u>34.33</u> <u>57.33</u> 42.8239.68 52.51 $63.22 \ 78.72$ 2.1659.86 88.92 99.28 10.16 12.33 39.00 60.33

Table 3. Ablation of N_{Φ} for local deformation in the test phase.

4 Ablation of EMA for pseudo landmarks

To incorporate landmark locations into the registration learning, we maintain an exponential moving average of model predictions on the training set. For all experiments in the main manuscript, we set τ to 0.9. We further ablate its impact on the MRE of stage I. When $\tau = 0.0$, the pseudo landmarks are simply model predictions in each epoch, without moving average applied. The moving average of pseudo landmarks are only used to generate gaussian heatmaps for computing the masked similarities of edge structures around landmarks, with no gradients for backpropagation. As in Tab. 4, our method is robust to τ .

Table 4. Ablation of τ in EMA

	1		TT 1				
	Head						
au		$MRE\downarrow$ $SDR\uparrow(\%)$					
	(mm)	$2 \mathrm{mm}$	$2.5\mathrm{mm}$	$3 \mathrm{mm}$	$4 \mathrm{mm}$		
0.0	2.76	40.27	53.12	63.39	80.04		
0.9	2.70	42.78	54.88	65.03	81.01		
0.99	2.74	41.01	53.54	65.03	80.63		

References

 Qingsong Yao, Quan Quan, Li Xiao, and S Kevin Zhou. One-shot medical landmark detection. arXiv preprint arXiv:2103.04527, 2021.